

強結合フェルミ気体におけるメゾスコピックスピントラベル



YS, H. Tajima, & S. Uchino, Phys. Rev. Research 2, 023152 (2020)

講演番号02

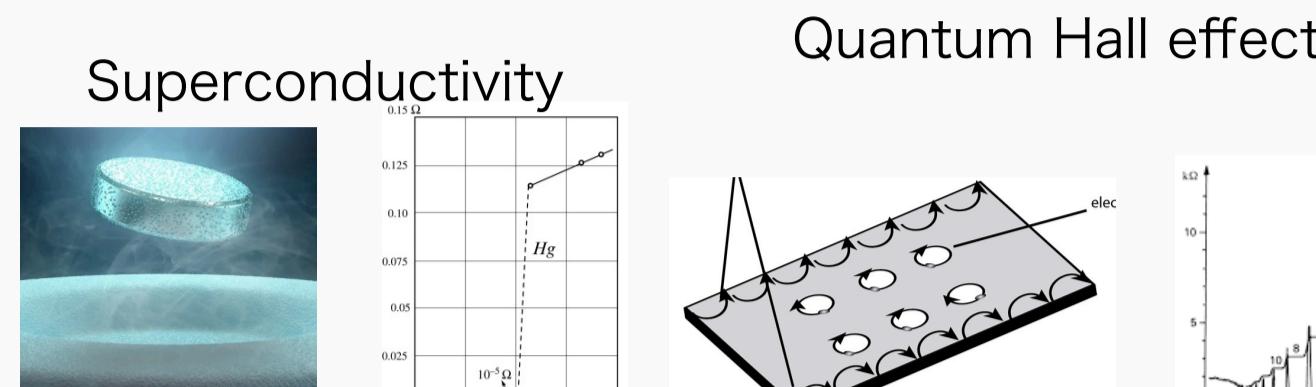
関野 裕太 (理研・仁科センター)

YouTube (By Tajima-san) <https://www.youtube.com/watch?v=vIhdQN7tWE>

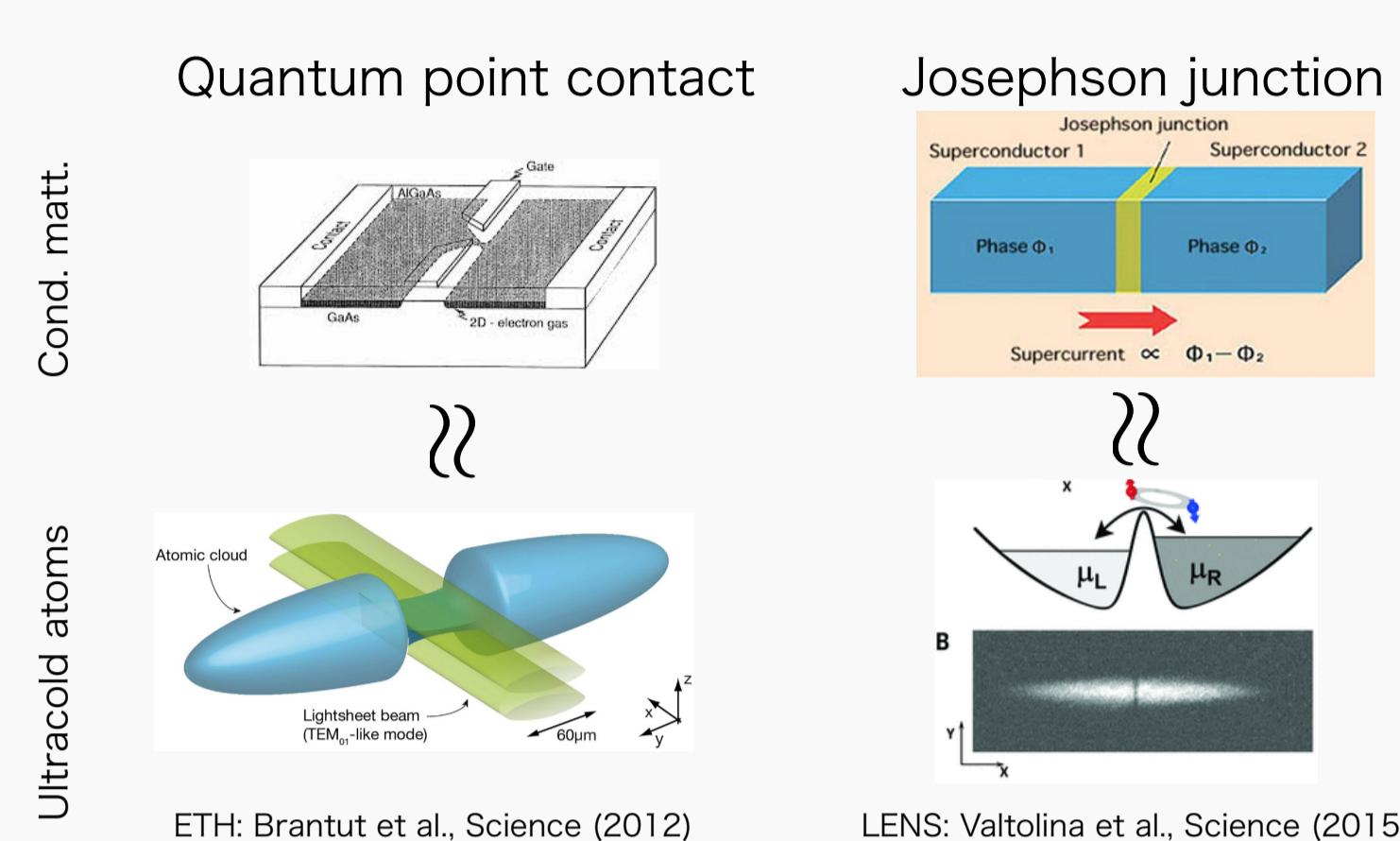
Introduction

1. Quantum Transport

In a bulk



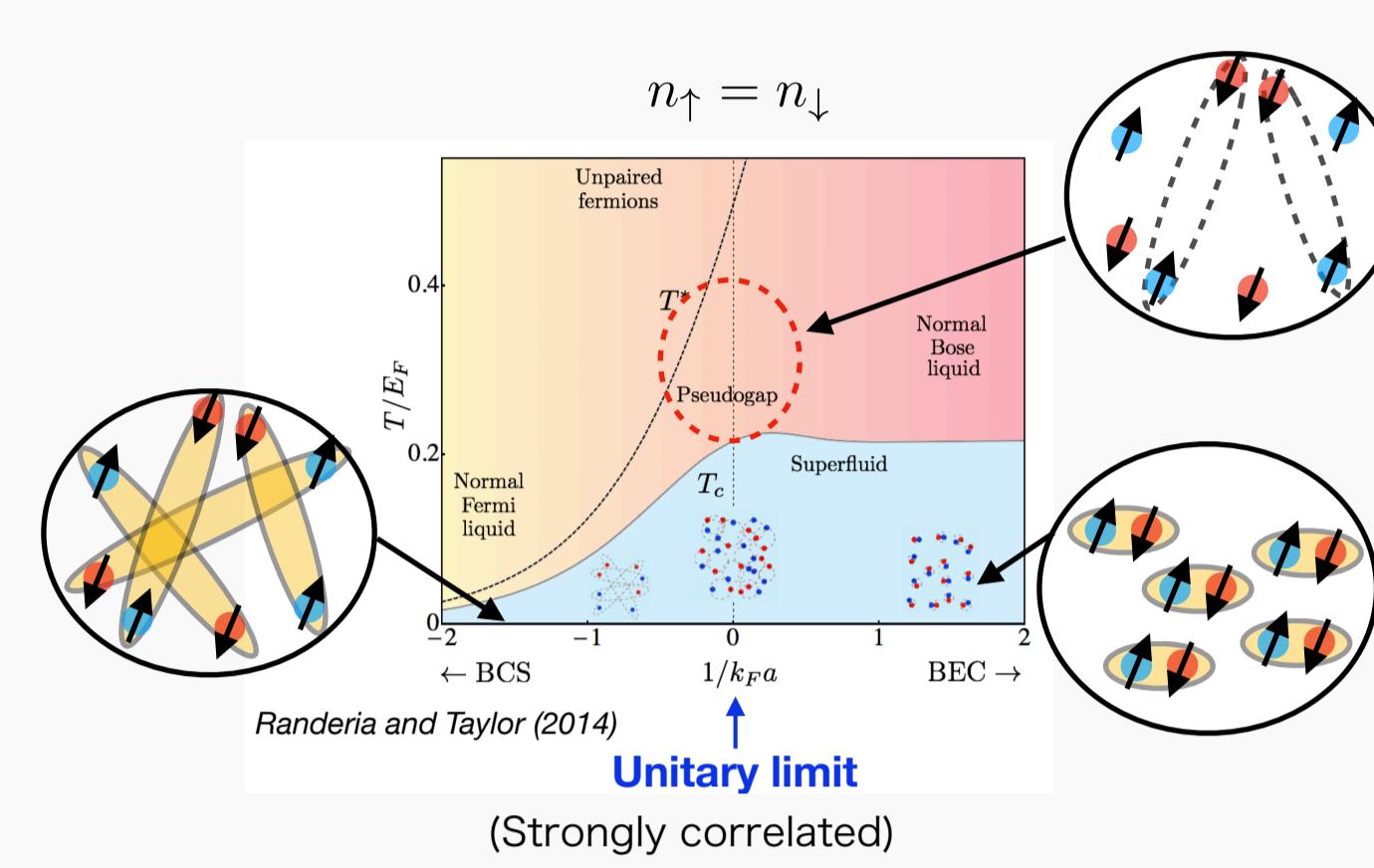
B/w bulks



2. Ultracold Fermi gas

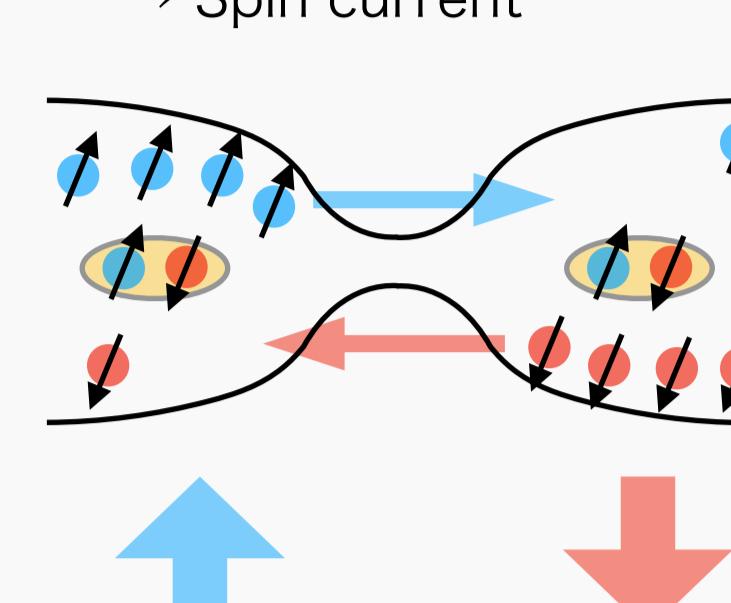
Fermi atoms (6Li, 40K, ...) with two hyperfine state

Dilute & cold atomic gas
 $n = 1013 \text{ to } 1015 \text{ cm}^{-3}$, $T = 1 \mu\text{K} \text{ to } 10 \text{nK}$



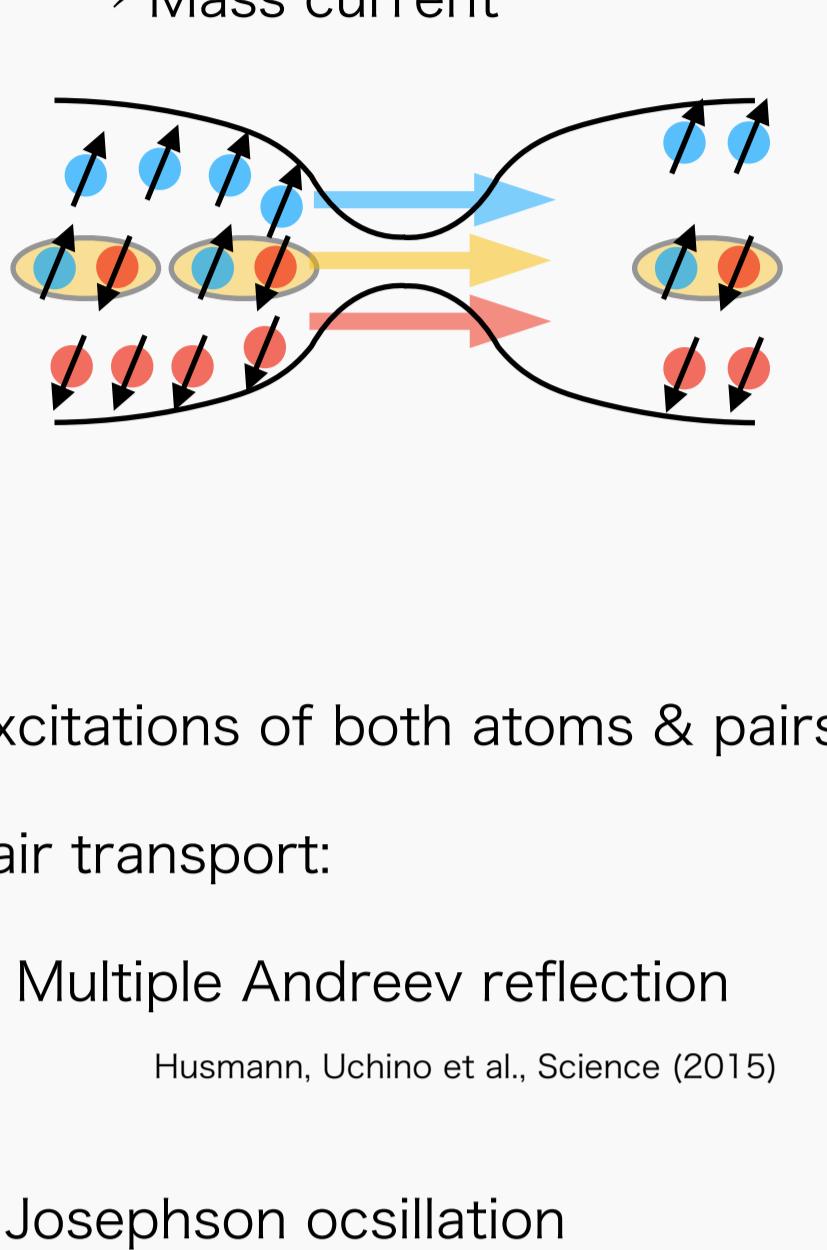
3. Spin vs mass currents

Polarization difference → Spin current



No contribution from Spin singlet
Excitations of both atoms & pairs
Sensitive to single-particle excitations !!

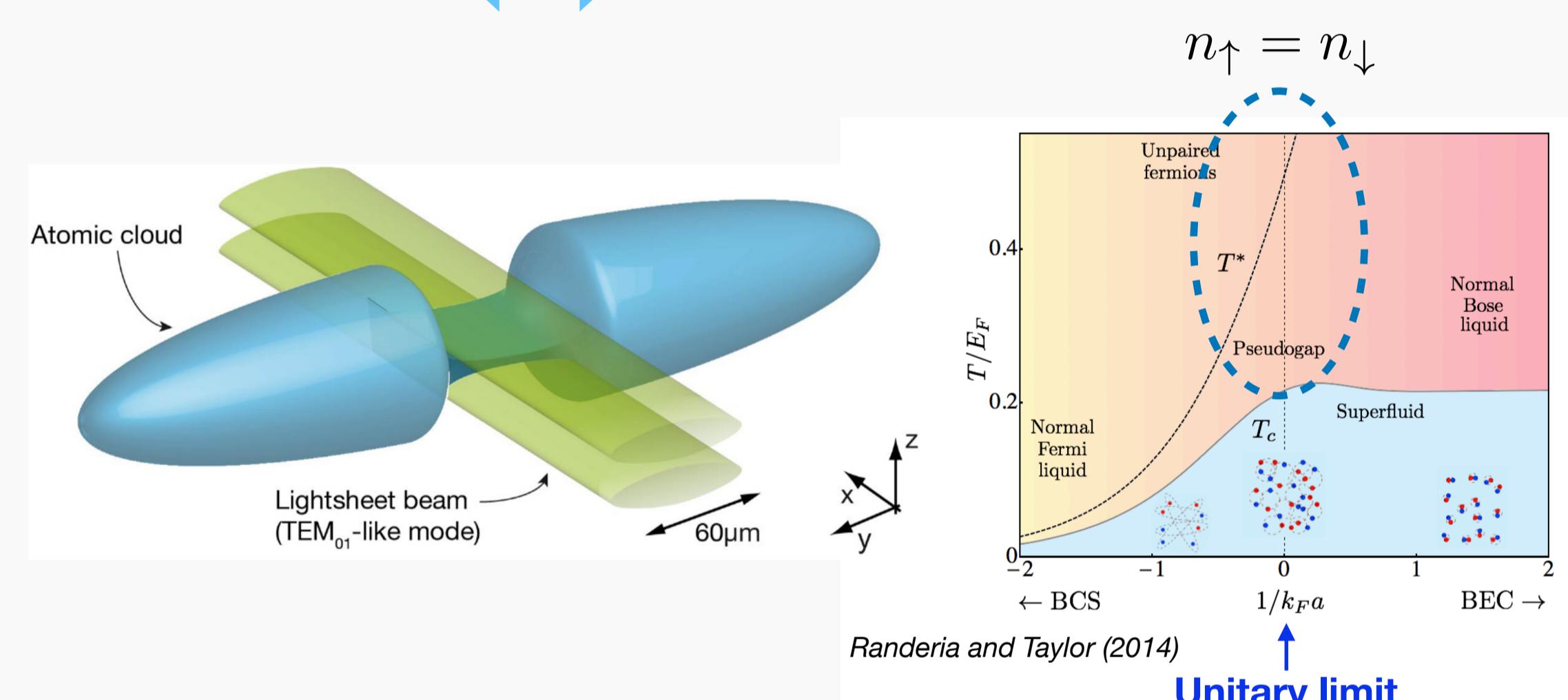
Particle-number difference → Mass current



Purpose

Understanding of transport properties for strongly interacting Fermi gases

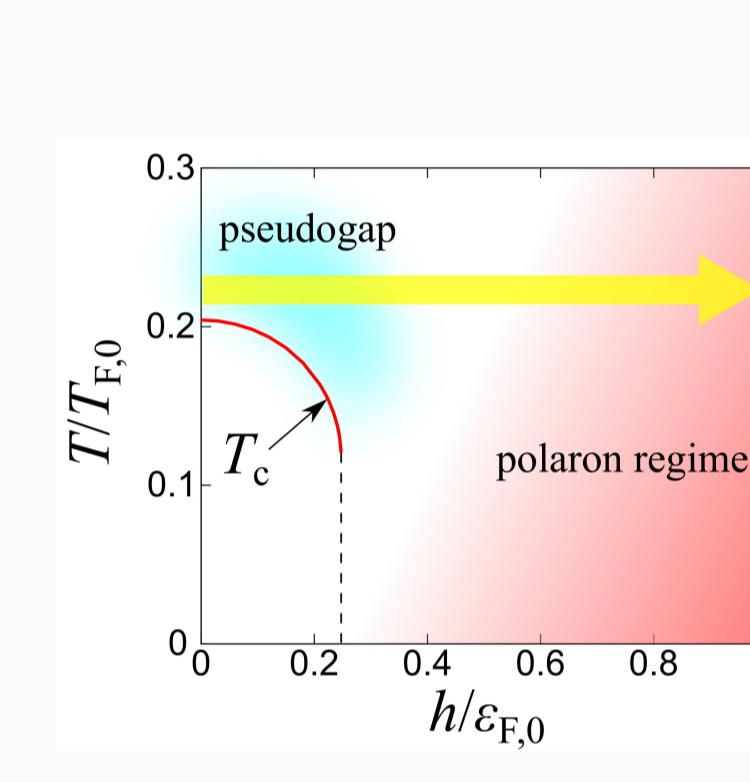
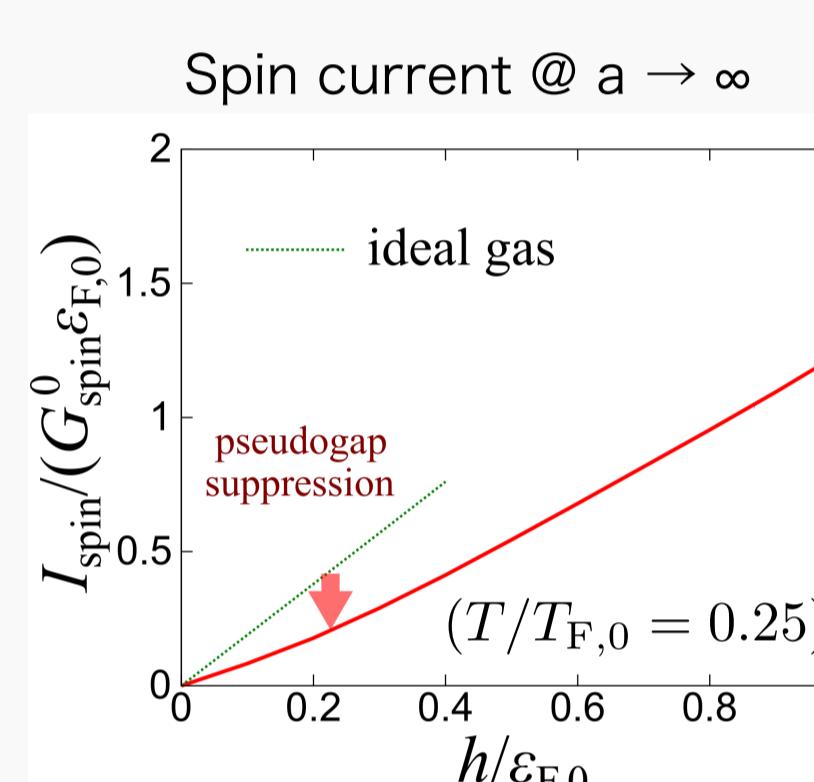
Transport \leftrightarrow Excitation properties in bulks



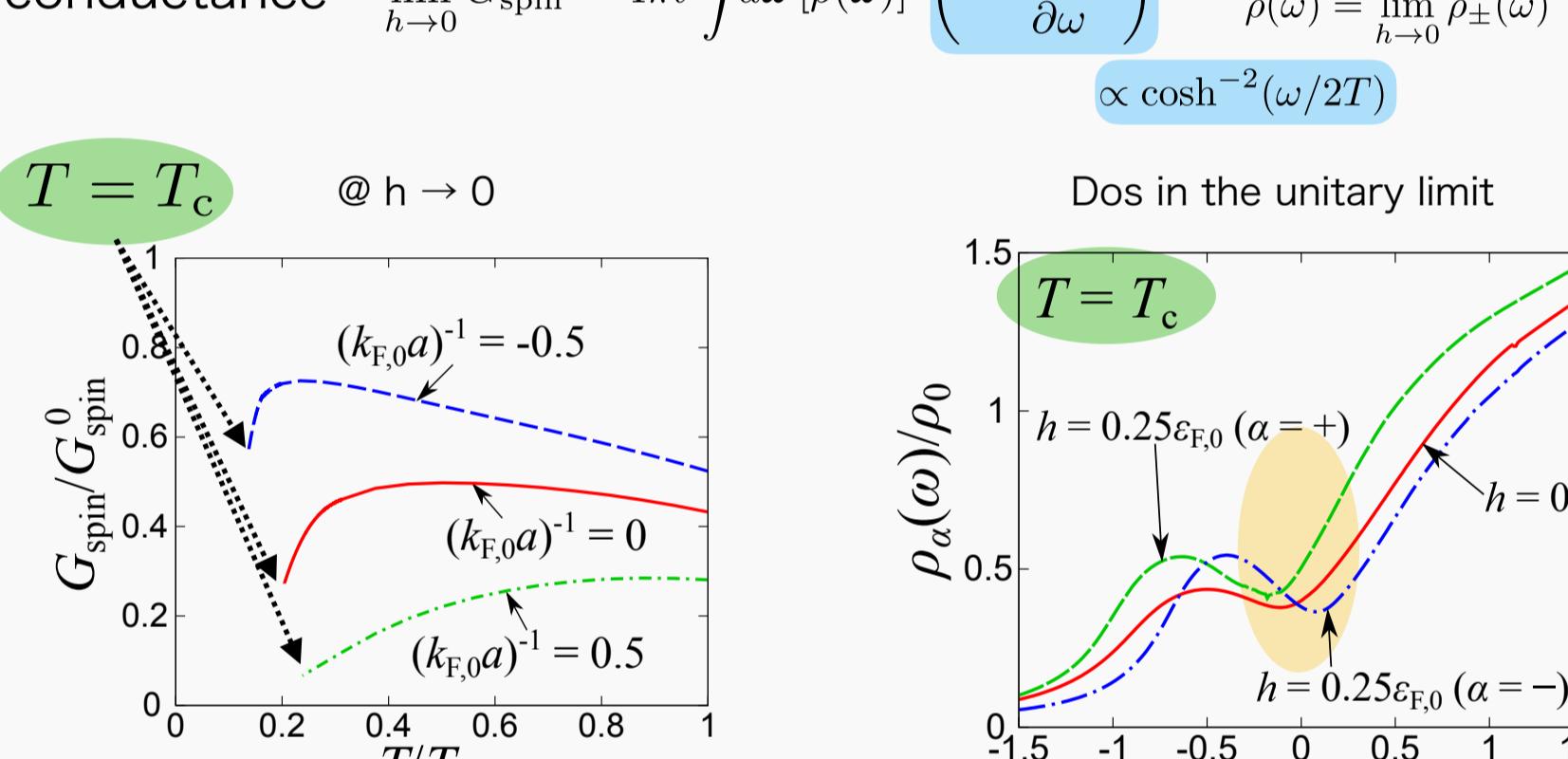
Here, spin transport in normal phase is focused on

Pseudogap regime

YS, Tajima, & Uchino, PR Research(2020)



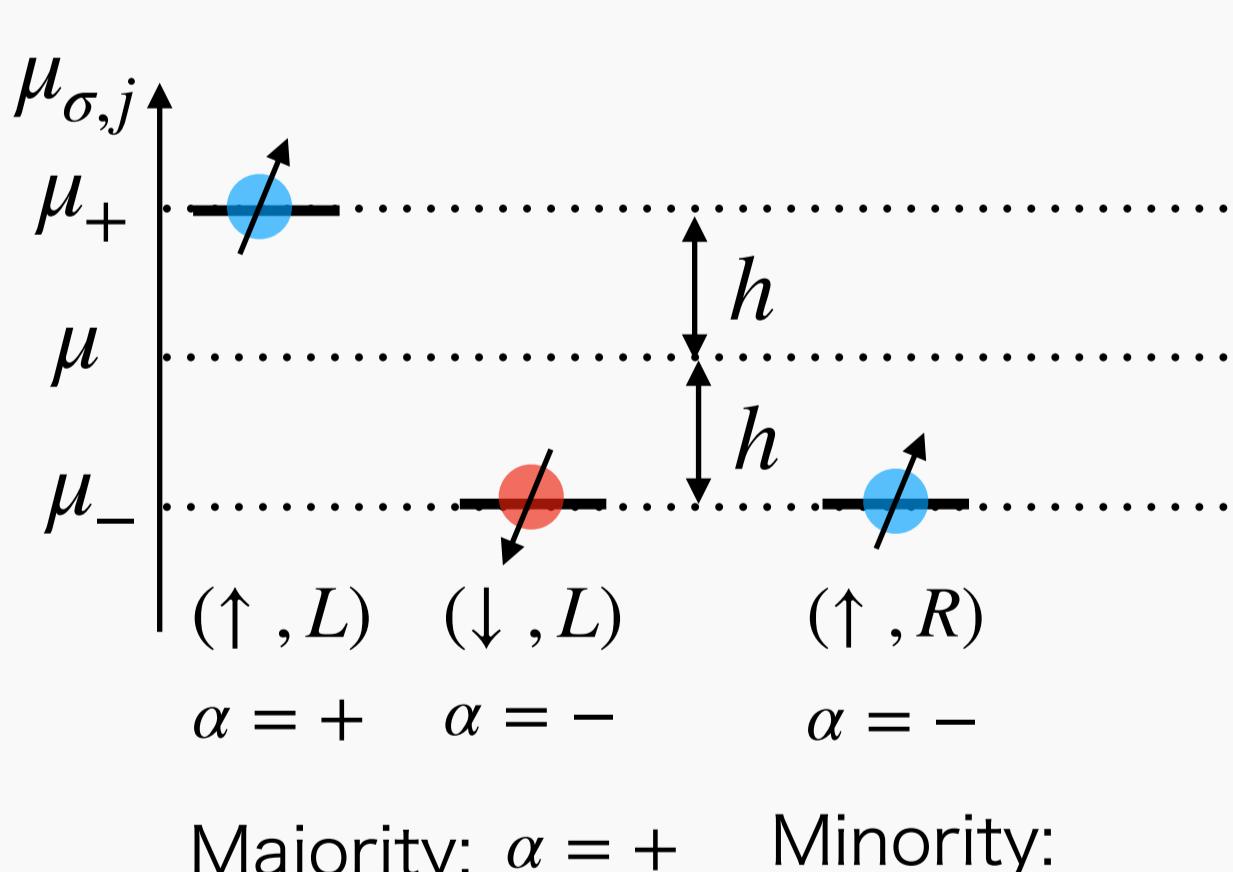
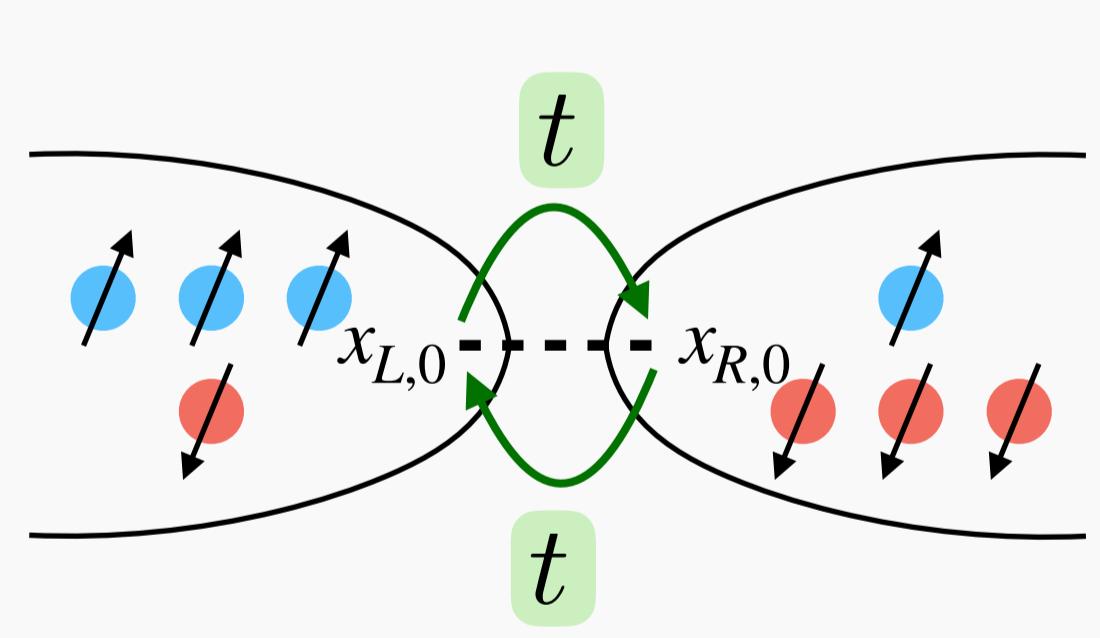
Intuitive interpretation



Pseudogap formation
↓
Suppression of Gspin

Model

1. Tunneling Hamiltonian model YS, Tajima, & Uchino, PR Research(2020)



$$H = H_R + H_L + H_T,$$

Reservoirs:

$$H_j = \sum_{\mathbf{p}} \sum_{\sigma=\uparrow,\downarrow} \left(\frac{p^2}{2m} - \mu_{\sigma,j} \right) c_{\mathbf{p},\sigma,j}^\dagger c_{\mathbf{p},\sigma,j} - U \sum_{\mathbf{p},\mathbf{p}',\mathbf{q}} c_{\mathbf{p}+\mathbf{q},\uparrow,j}^\dagger c_{-\mathbf{p},\downarrow,j}^\dagger c_{-\mathbf{p}',\downarrow,j} c_{\mathbf{p}'+\mathbf{q},\uparrow,j},$$

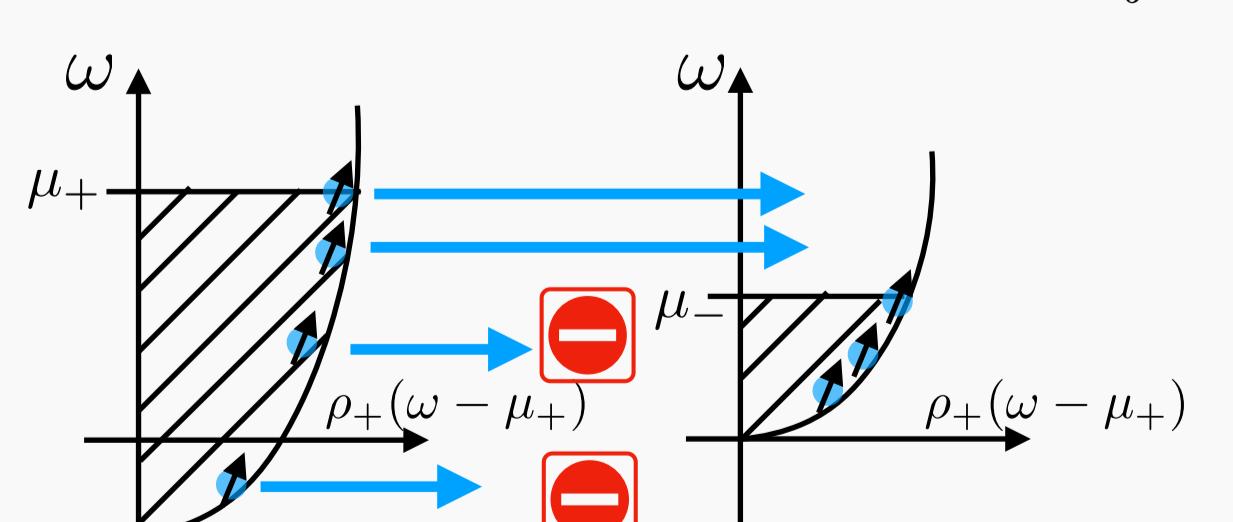
Contact interaction

Tunneling term:

$$H_T = t \sum_{\sigma=\uparrow,\downarrow} \psi_{\sigma,L}^\dagger(x_{L,0}) \psi_{\sigma,R}(x_{R,0}) + \text{H.c.} = t \sum_{\sigma=\uparrow,\downarrow} \sum_{\mathbf{p},\mathbf{p}'} c_{\mathbf{p},\sigma,R}^\dagger c_{\mathbf{p}',\sigma,L} + \text{H.c.}$$

2. Kubo formula

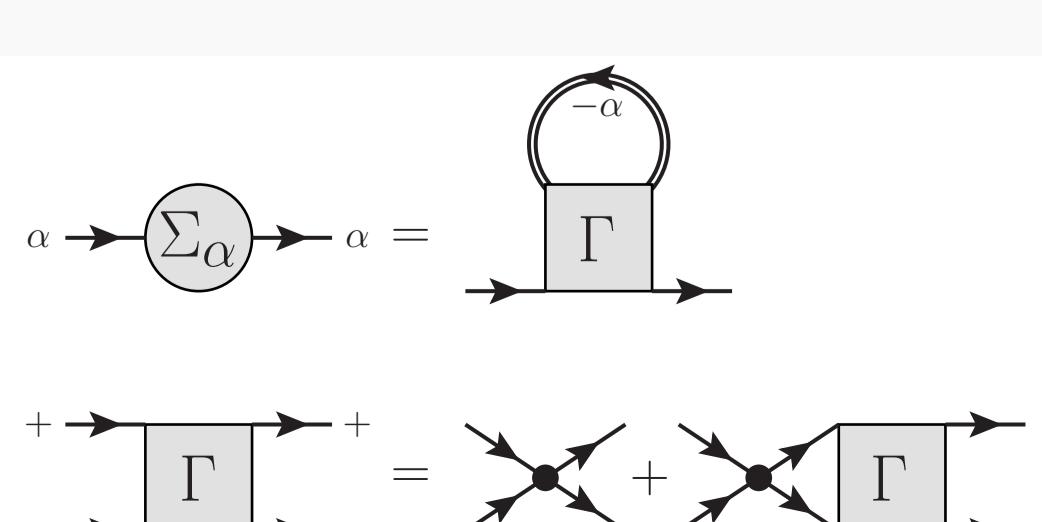
$$I_{\text{spin}} \equiv -\frac{d(N_{\uparrow,L} - N_{\downarrow,L})}{dt} = 4\pi t^2 \int d\omega \rho_+(\omega - \mu_+) \rho_-(\omega - \mu_-) [f(\omega - \mu_+) - f(\omega - \mu_-)] + O(t^4)$$



$$\rho_{\pm}(\omega) = -\frac{1}{\pi} \sum_{\mathbf{p}} \text{Im}[\mathcal{G}_{\pm}(\mathbf{p}, i\omega_n \rightarrow \omega + i\delta)],$$

$$f(\omega) = \frac{1}{e^{\omega/T} + 1}$$

3. Extended T-matrix approx.(ETMA):



[Kashimura, Watanabe, & Ohashi PRA (2012)]

$$\text{Double line: } \mathcal{G}_{\pm}(\mathbf{p}, i\omega_n) = \frac{1}{i\omega_n - \frac{p^2}{2m} + \mu_{\pm} - \Sigma_{\pm}(\mathbf{p}, i\omega_n)}$$

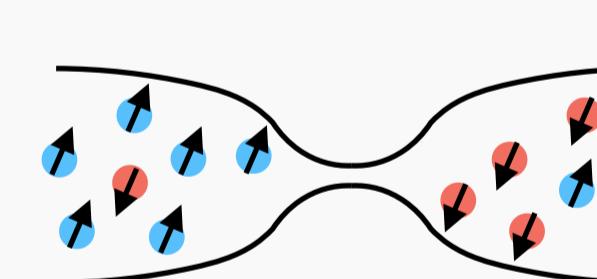
$$\text{Single line: } \mathcal{G}_0(\mathbf{p}, i\omega_n) = \frac{1}{i\omega_n - \frac{p^2}{2m} + \mu_{\pm}}$$

Dot: $-U$

Polaron regime

YS, Tajima, & Uchino, PR Research(2020)

1. Highly polarized gas

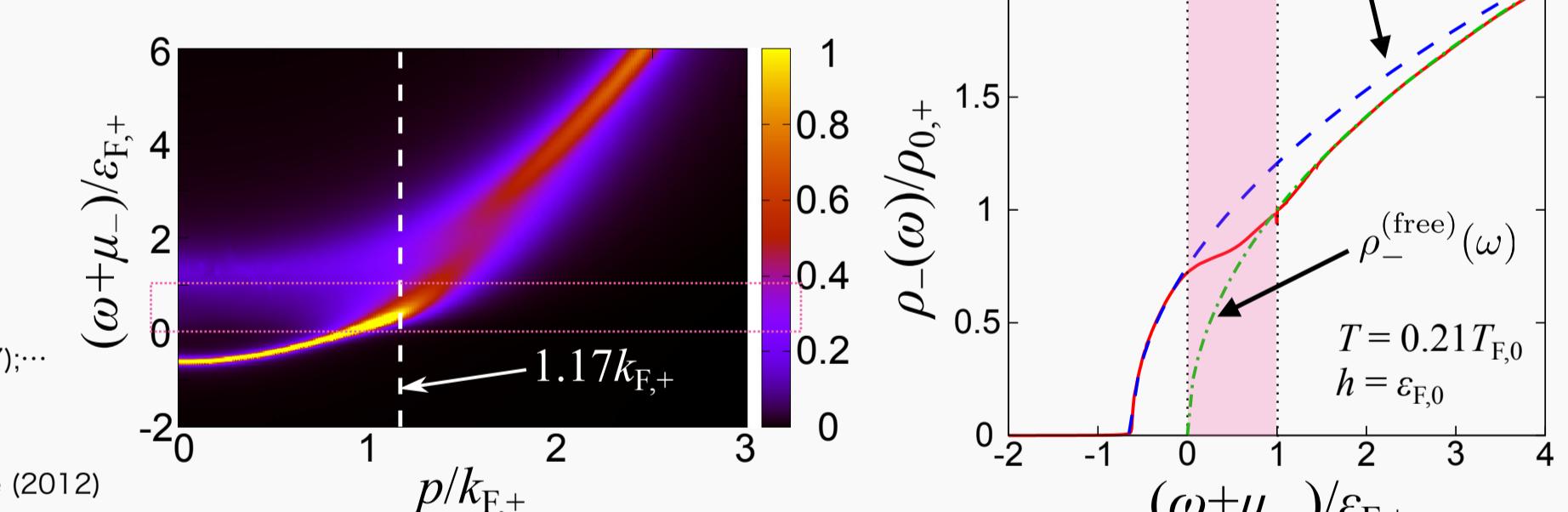


Majority atoms form a Fermi sea
Minority atoms behave as Fermi polarons

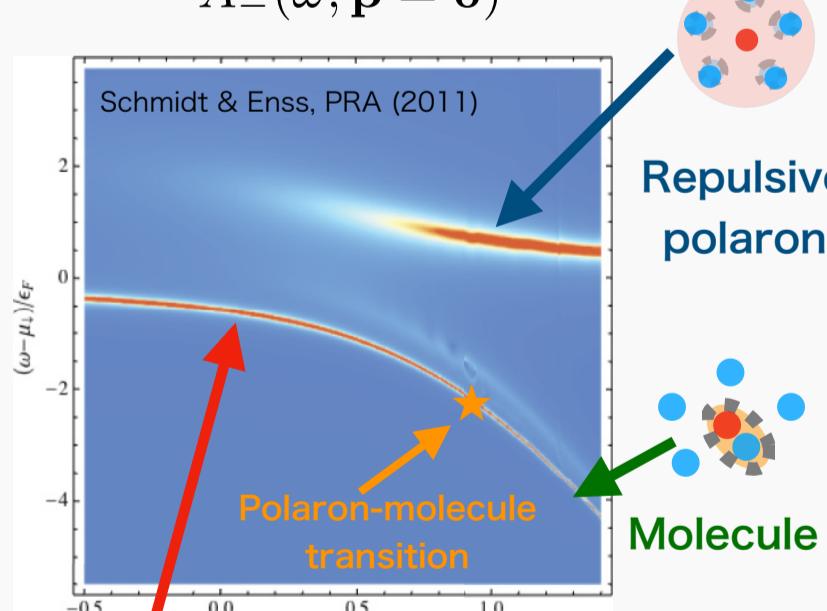
Theory: Chevy PRA (2006); Combescot et al., PRL (2007);...
Exp: Schirötzek et al., PRL (2009);
Koschorreck et al., Nature (2012); Kohstall et al., Nature (2012)

2. Minority spectrum & Dos

$$A_{-}(\mathbf{p}, \omega)$$



$$A_{-}(\omega, \mathbf{p} = 0)$$



Repulsive polaron
Attractive polaron

Molecule

Broad repulsive branch & Broadened attractive polaron

DoS enhancement

Increase of the spin current

$\rho_{-}(\omega) \text{ in } 0 \lesssim \omega + \mu_{-} \lesssim \epsilon_{F,+}$

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Summary

Two-terminal spin transport for strongly interacting Fermi gas

1. Small spin bias: Suppression of I_{spin} due to the pseudogap

2. Large spin bias: Enhancement of I_{spin} due to the polarons

Spin current measurement becomes a sensitive probe to pseudogap & polarons

Future perspective:

Superfluid regime, low-energy polaron current, current noise