

強結合フェルミ気体におけるメゾスコピックスピン輸送



YS, H. Tajima, & S. Uchino, Phys. Rev. Research 2, 023152 (2020)

講演番号02

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YouTube (By Tajima-san) <https://www.youtube.com/watch?v=vIhdQN7ttWE>

Introduction

1. Quantum Transport

In a bulk

B/w bulks

2. Ultracold Fermi gas

Fermi atoms (6Li, 40K, ...) with two hyperfine state

Dilute & cold atomic gas

$n = 1013 \text{ to } 1015 \text{ cm}^{-3}$, $T = 1 \mu\text{K to } 10 \text{ nK}$

3. Spin vs mass currents

Polarization difference → Spin current

Particle-number difference → Mass current

No contribution from Spin singlet

Excitations of both atoms & pairs

Pair transport: Multiple Andreev reflection

Josephson oscillation

Purpose

Understanding of transport properties for strongly interacting Fermi gases

Transport ↔ Excitation properties in bulks

Here, **spin transport** in **normal phase** is focused on

Pseudogap regime

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Spin current @ $a \rightarrow \infty$

Intuitive interpretation

Spin conductance $\lim_{h \rightarrow 0} G_{\text{spin}} = 4\pi t^2 \int d\omega [\tilde{\rho}(\omega)]^2 \left(-\frac{\partial f(\omega)}{\partial \omega} \right)$

$\tilde{\rho}(\omega) = \lim_{h \rightarrow 0} \rho_{\pm}(\omega) \propto \cosh^{-2}(\omega/2T)$

Pseudogap formation

Suppression of G_{spin}

Model

1. Tunneling Hamiltonian model

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$$H = H_R + H_L + H_T,$$

Reservoirs:

$$H_j = \sum_{\mathbf{p}} \sum_{\sigma=\uparrow, \downarrow} \left(\frac{p^2}{2m} - \mu_{\sigma, j} \right) c_{\mathbf{p}, \sigma, j}^\dagger c_{\mathbf{p}, \sigma, j} - U \sum_{\mathbf{p}, \mathbf{p}', \mathbf{q}} c_{\mathbf{p}+\mathbf{q}, \uparrow, j}^\dagger c_{-\mathbf{p}, \downarrow, j}^\dagger c_{-\mathbf{p}', \downarrow, j} c_{\mathbf{p}', \uparrow, j},$$

Tunneling term:

$$H_T = t \sum_{\sigma=\uparrow, \downarrow} \psi_{\sigma, L}^\dagger(x_{L,0}) \psi_{\sigma, R}(x_{R,0}) + \text{H.c.} = t \sum_{\sigma=\uparrow, \downarrow} \sum_{\mathbf{p}, \mathbf{p}'} c_{\mathbf{p}, \sigma, R}^\dagger c_{\mathbf{p}', \sigma, L} + \text{H.c.}$$

2. Kubo formula

$$I_{\text{spin}} = -\frac{d(N_{\uparrow, L} - N_{\downarrow, L})}{dt}$$

$$= 4\pi t^2 \int d\omega \rho_+(\omega - \mu_+) \rho_-(\omega - \mu_-) [f(\omega - \mu_+) - f(\omega - \mu_-)] + O(t^4)$$

Density of states (DoS):

$$\rho_{\pm}(\omega) = -\frac{1}{\pi} \sum_{\mathbf{p}} \text{Im}[\mathcal{G}_{\pm}(\mathbf{p}, i\omega_n \rightarrow \omega + i\delta)],$$

Fermi distribution func.:

$$f(\omega) = \frac{1}{e^{\omega/T} + 1}$$

3. Extended T-matrix approx.(ETMA):

[Kashimura, Watanabe, & Ohashi PRA (2012)]

Double line: $\mathcal{G}_{\pm}(\mathbf{p}, i\omega_n) = \frac{1}{i\omega_n - \frac{p^2}{2m} + \mu_{\pm} - \Sigma_{\pm}(\mathbf{p}, i\omega_n)}$

Single line: $\mathcal{G}_0(\mathbf{p}, i\omega_n) = \frac{1}{i\omega_n - \frac{p^2}{2m} + \mu_{\pm}}$

Dot: $-U$

Polaron regime

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1. Highly polarized gas

Majority atoms form a Fermi sea

Minority atoms behave as Fermi polarons

Theory: Chevy PRA (2006); Combescot et al., PRL (2007); ...

Exp: Schriozek et al., PRL (2009);

Koschorreck et al., Nature (2012); Kohstall et al., Nature (2012)

2. Minority spectrum & DoS

4. Spin current

Broad repulsive branch & Broadened attractive polaron

DoS enhancement

$\rho_-(\omega)$ in $0 \lesssim \omega + \mu_- \lesssim \epsilon_{F,+}$

Increase of the spin current

Summary

Two-terminal spin transport for strongly interacting Fermi gas

1. Small spin bias: Suppression of I_{spin} due to the pseudogap
2. Large spin bias: Enhancement of I_{spin} due to the polarons

Spin current measurement becomes a sensitive probe to pseudogap & polarons

Future perspective:

Superfluid regime, low-energy polaron current, current noise