クォーク・グルーオン・プラズマ中の中間子の遮蔽効果

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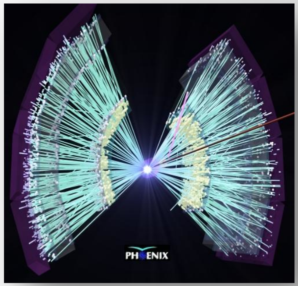
Introduction



In-medium properties of hadronic excitations in hot QCD matter

➡ Heavy-Ion Collision Experiments at RHIC and LHC

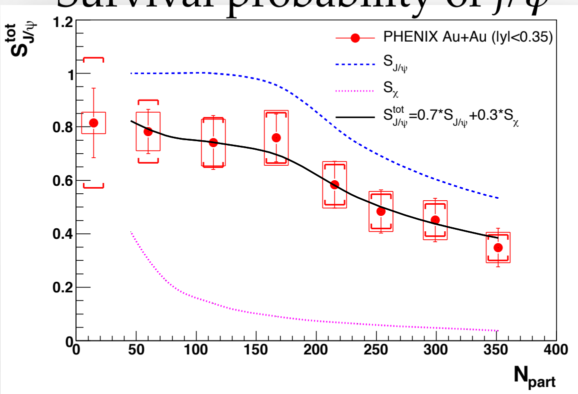
Charmonium

purely created after collision: direct probe in HIC experiments

e.g. dissociation of J/ψ at high temperature

➡ direct signal that Quark-Gluon plasma is created Matsui and Satz (1986)

Survival probability of J/ψ



Gunji et al. 2007

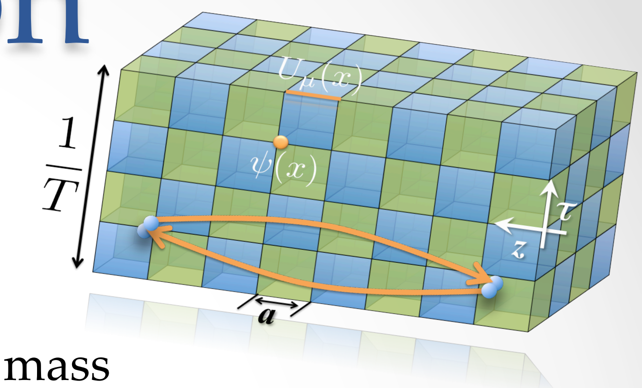
in PHENIX experiment at RHIC…

Suppression of survival probability of J/ψ

Understanding suppression of hadronic excitation in QGP

Theoretical understanding of meson thermal properties: indispensable

Introduction



Lattice QCD at finite temperature

Direct investigation of hadronic excitation: Difficult

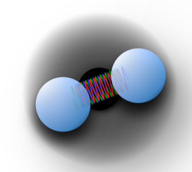
Meson correlation function to spatial direction: Screening mass

$$G(z,T) = \int dxdy \int_0^{1/T} d\tau \langle \bar{q}\Gamma q(x,y,z,\tau)\bar{q}\Gamma q(0,0,0,0)\rangle \xrightarrow{z\to\infty} Ae^{-M_\Gamma z}$$

$$G(z,T) = \int_0^\infty \frac{2d\omega}{\omega} \int_{-\infty}^{\infty} dp_z e^{iP_z z} \underline{\sigma(\omega,p_z,T)}$$

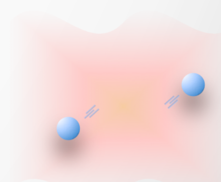
Spectral function

in thermal medium…



at $T\sim 0$, hadron structure: pole mass at $T=0$: $M(T)\sim m_0$

at $T\sim T_c$, sensitive to quark structure: bound states broaden



at $T\to\infty$, free meson with two quark propagators

which have the lowest Matsubara mode: $M_{\rm free} = 2\sqrt{(\pi T)^2 + m_q^2}$

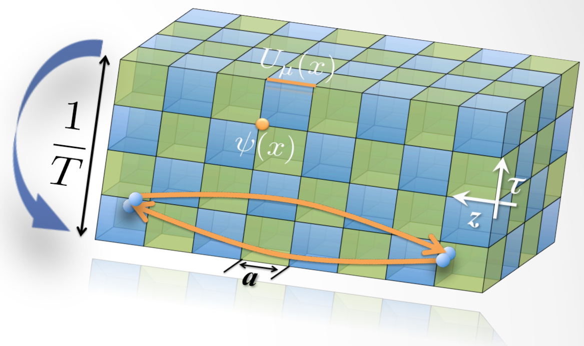
Meson screening mass at finite T

Boundary Condition to temporal direction:

Investigation of hadronic modification due to thermal effect

Anti-periodic BC: $q(\vec{x}, 1/T) = -q(\vec{x}, 0)$

Periodic BC: $q(\vec{x}, 1/T) = q(\vec{x}, 0)$



at low T: bosonic bound state ➡ no discrepancy

at high T: difference due to Matsubara mode

$$M(T) \to \begin{cases} 2\sqrt{(\pi T)^2 + m_q^2} & \text{for APB} \\ 2m_q & \text{for PB} \end{cases}$$

probe of temporal broadening ➡ width of the spectral function

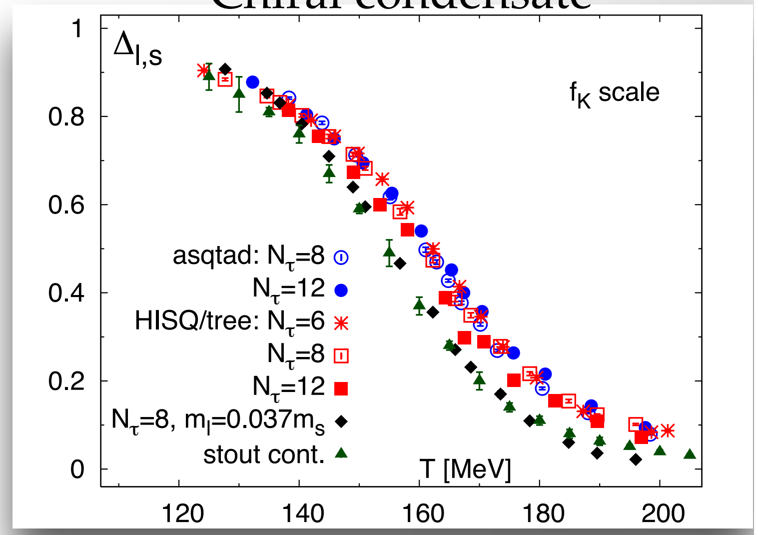
Screening mass in lattice QCD simulations

in p4 action for light and charm sector (2011)

➡ in this study: in HISQ action for charmonium, open-charm and strangeness sectors

Highly Improved Staggered Quarks

Chiral condensate



<u>HISQ action</u> Bazavov et al. (2011)

Reduction of the taste violation

Control of the cutoff effects

Bulk thermal properties: investigated
Hot-QCD Coll. (2011)

abundant statistics with widely T range: utilizable

<u>Lattice setup</u>

2+1 flavor QCD (charm quenched)

$m_l/m_s = 0.05$ (m_π~160 MeV, m_K~504 MeV)

48^3x48 or 64 at $T = 0$

48^3x12, β = 6.664—7.280 (T = 138—245 MeV, 15 points)

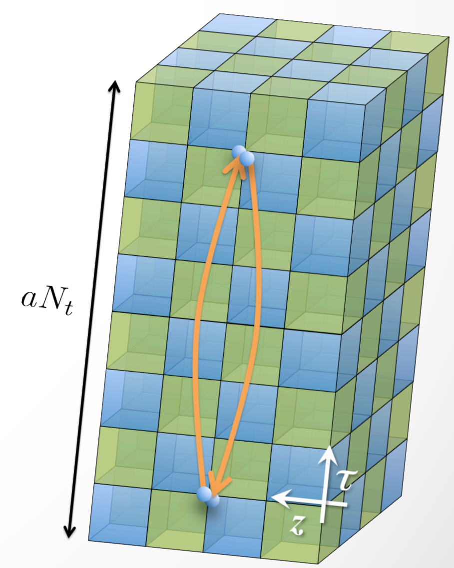
N_τ=10, 8, 6, 4 at β = 7.280, N_s/N_τ=4 (T = 297—743 MeV)

scale: f_k input

meson propagators: point and wall sources (5000—10000 traj.)

$T = 0$

- Meson propagators in HISQ
- Meson spectrum in strange and charm

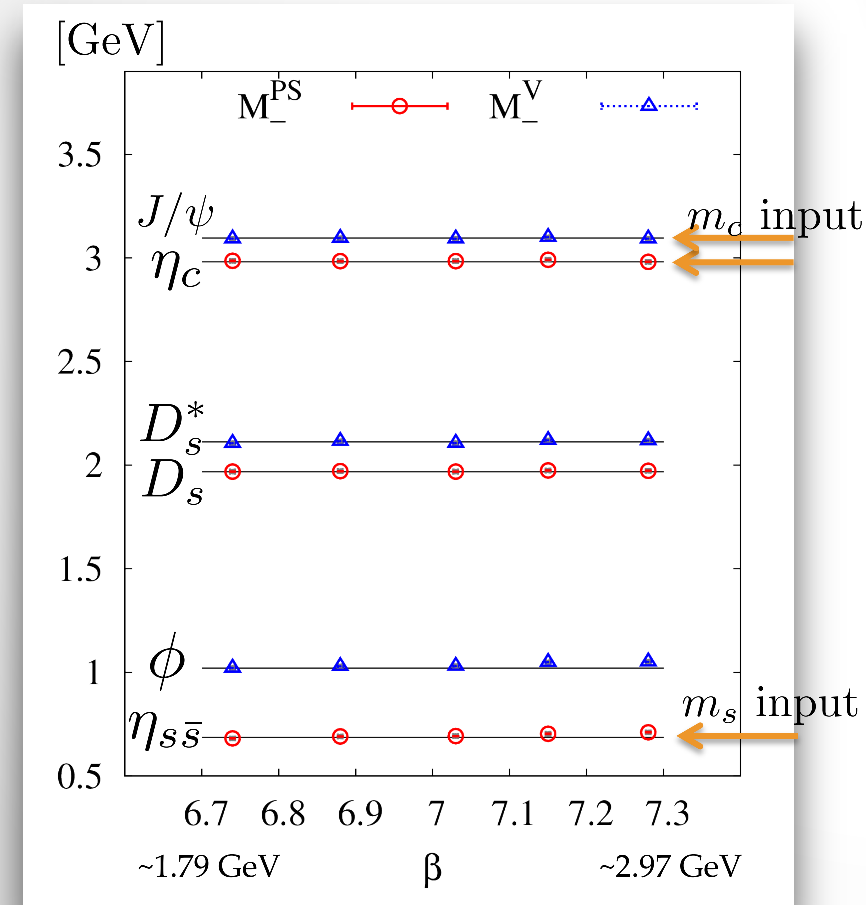


Meson spectrum at $T = 0$

Ground states with negative parity

$$M_{-}^{\rm PS},\ M_{-}^{\rm V}$$

	S		PS		AV		V	
Γ	$\gamma_4\gamma_5$	1	γ_5	γ_4	$\gamma_i\gamma_4$	$\gamma_i\gamma_5$	γ_i	$\gamma_j\gamma_k$
J^{PC}	0^{-+}	0^{++}	0^{-+}	0^{+-}	1^{--}	1^{++}	1^{--}	1^{+-}
$s\bar{s}$	$\eta_{s\bar{s}}$		$\eta_{s\bar{s}}$	$-$	ϕ		ϕ	
$s\bar{c}$	D_s	D_{s0}^*	D_s	D_{s0}^*	D_s^*	D_{s1}	D_s^*	D_{s1}
$c\bar{c}$	η_c	χ_{c0}	η_c	$-$	J/ψ	χ_{c1}	J/ψ	h_c



Determination of quark mass at $T = 0$

Strange-quark mass:

$$m_{\eta_{\bar{s}s}} = \sqrt{2m_K^2 - m_\pi^2} \quad \text{Hot-QCD (2011)}$$

Charm-quark mass:

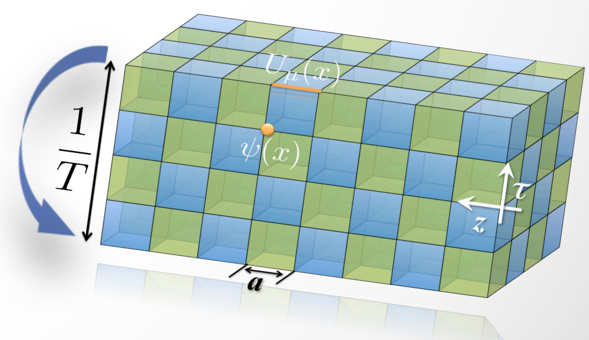
$$\frac{1}{4}m_{\eta_c} + \frac{3}{4}m_{J/\psi}$$

No significant β dependence:

➡ well improvement of the cutoff effect in HISQ action

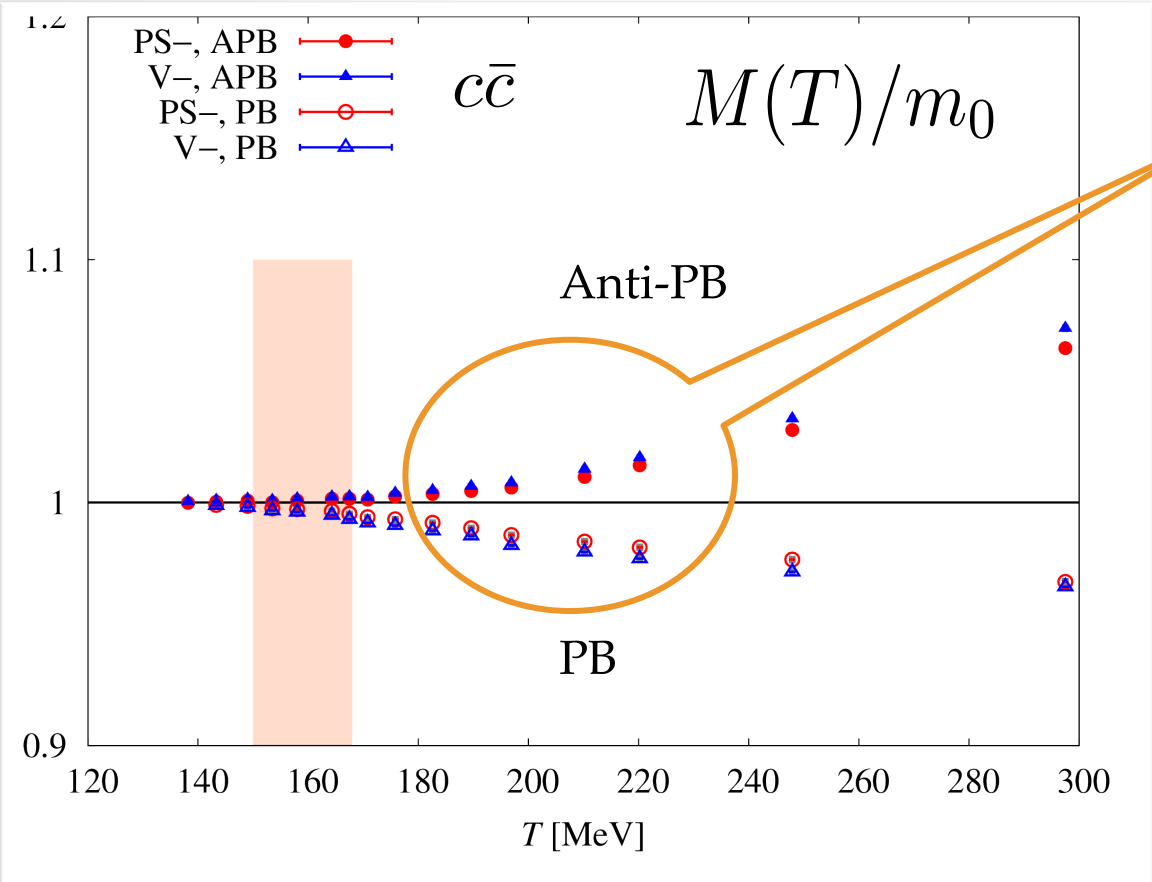
Finite temperature

- Screening mass: Anti-periodic BC and periodic BC
  - Charmonium
  - Open-charm and strangeness
- At high temperature
  - comparison with thermal perturbation theory



Charmonium screening mass at $T \sim T_c$

<u>Screening mass divided by pole mass at $T = 0$</u>



at low T: $M(T)/m_0 = 1$

at $T \sim 200$—220 MeV:

APB: increases
PB: decreases

at high T:

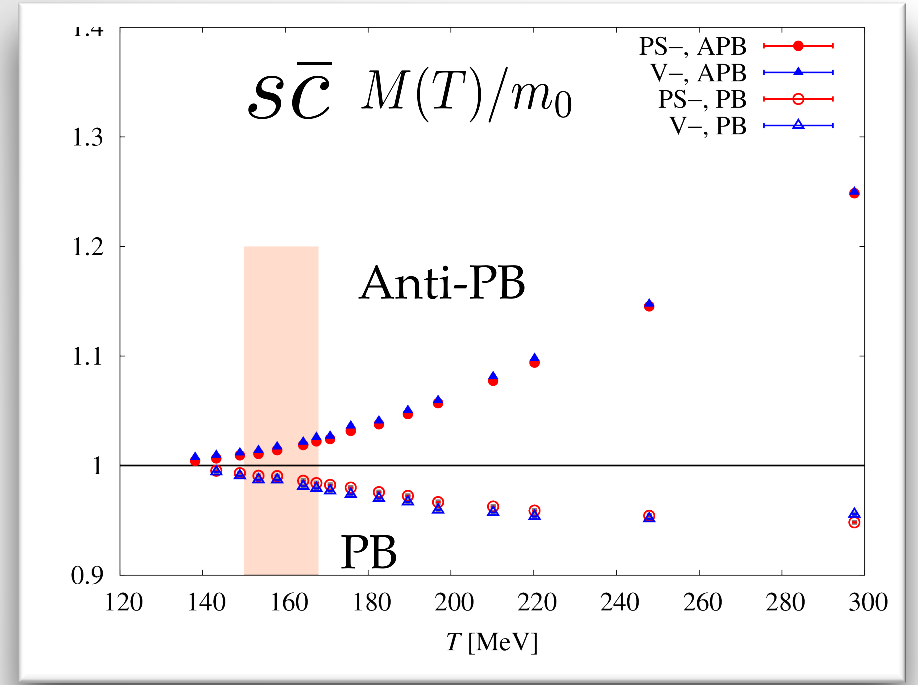
$$M^{\mathrm{APB}} \sim 2\sqrt{(\pi T)^2 + m_c^2}$$

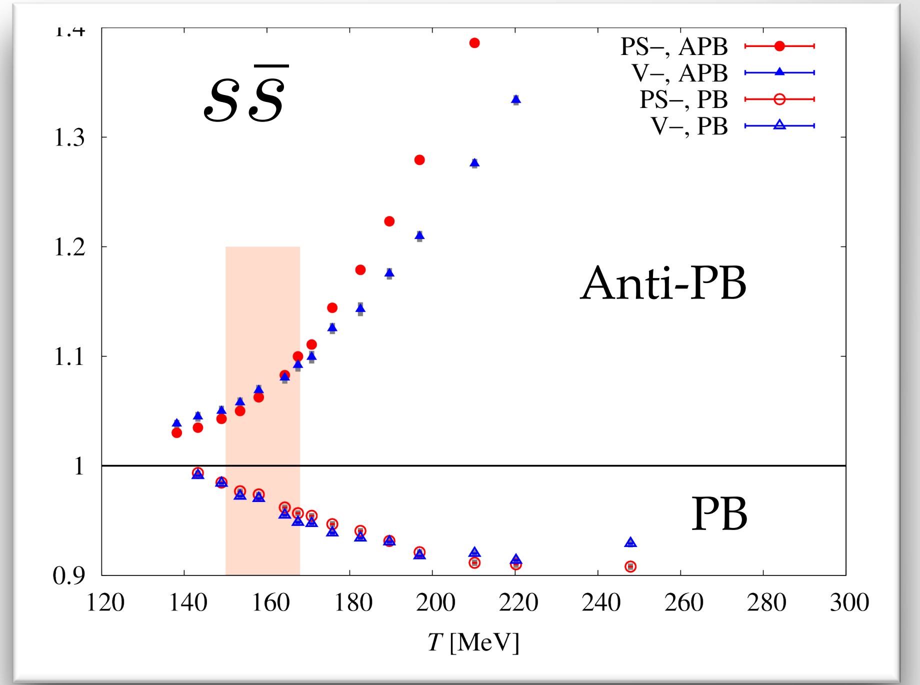
$$M^{\mathrm{PB}} \sim 2m_c$$

η_c, J/ψ survive at $T < 1.3T_c$

and modified at $T > 1.3$—$1.4T_c$

Open-charm and strangeness: $T \sim T_c$





at $T \sim 160$ MeV:

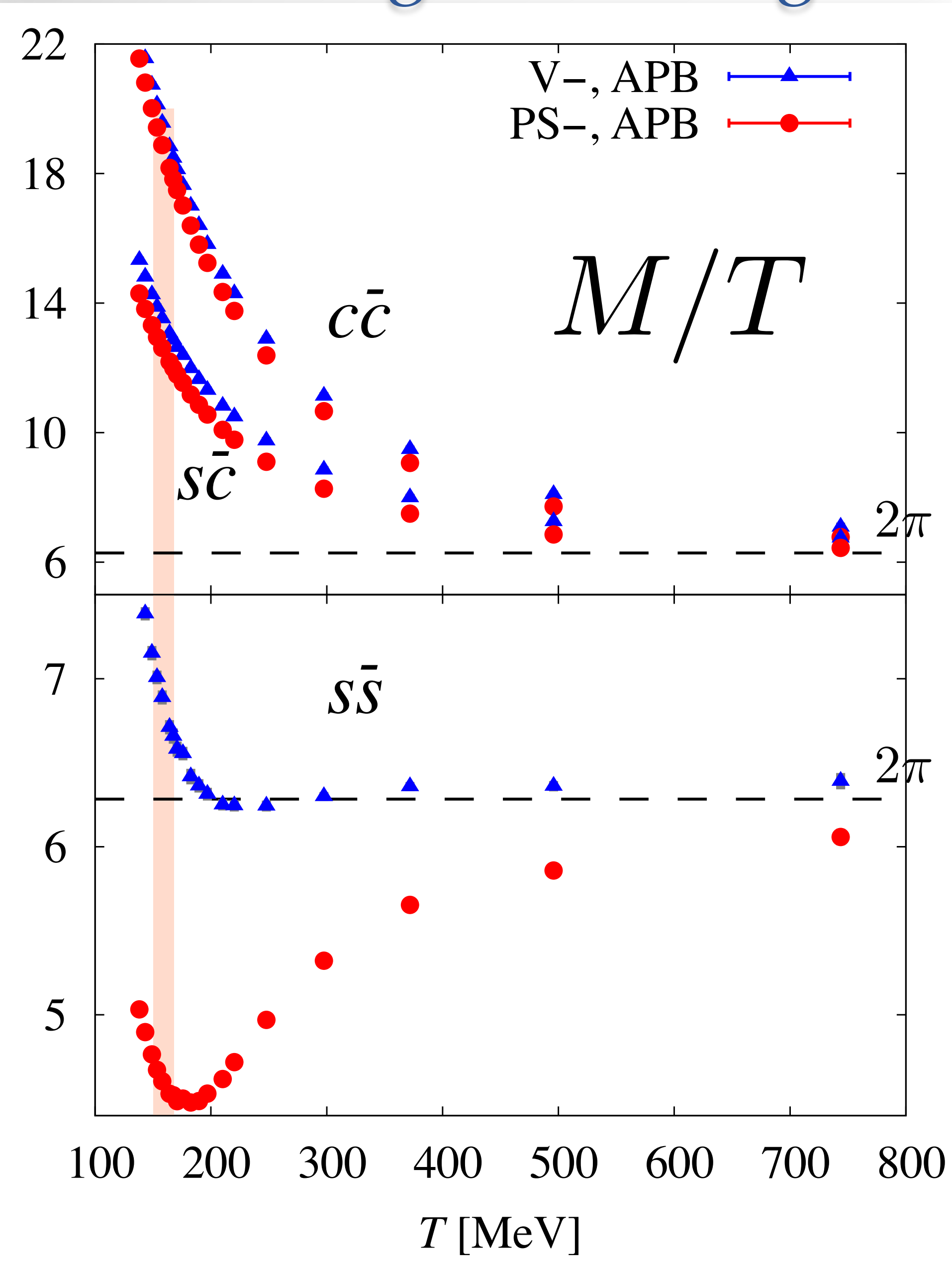
discrepancy btw APB and PB

even at $T < 140$ MeV:

discrepancy btw APB and PB

D_s, D_s^* modified at $T > T_c$ $(\eta_{s\bar{s}}), \ \phi$ significant modification at $T < 0.8T_c$

Screening mass at high T vs. thermal perturbation



with T increasing…

$c\bar{c}$, $s\bar{c}$ $\quad M^{\mathrm{APB}} \to 2\sqrt{(\pi T)^2 + m_c^2}$

M/T decreases and converges to 2π

$s\bar{s}$

Significant T dependent slightly above T_c

Convergence to 2π

PS: from below

V: from above

<u>Thermal perturbation</u> Laine et al 2004

- all channel converges
- described by

$$M_{\mathrm{weak}} = 2\pi T(1 + g^2 \times \begin{cases} 0.022(N_f = 0) \\ 0.033(N_f = 3) \end{cases})$$

on lattice: no convergence

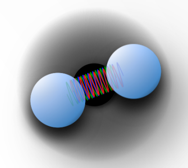
similar results in p4 (2011)

precise investigations at high T: future

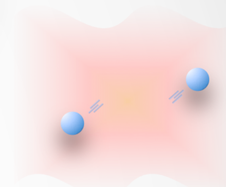
Summary

Meson screening masses in Highly Improved Staggered Quarks

for charmonium, open-charm and strangeness



at low T: corresponding to pole mass at $T = 0$



at high T: convergence to $2\sqrt{(\pi T)^2 + m_q^2}$ with Anti-periodic BC

$2m_q$ with periodic BC

Modification due to thermal medium

$\eta_c,\ J/\psi$ survive at $T \sim 1.3\ T_c$

D_s, D_s^* modified at $T \sim T_c$

$(\eta_{s\bar{s}}),\ \phi$ significant modification even at $T < 0.8\ T_c$

Comparison with thermal perturbation: $S\bar{S}$ V— is similar, but PS— is not

→ no convergence: precise investigation at higher T

Future…

charmonium: ABC-BC relation to decay width (MEM)?

strangeness: role in strange fluctuation and deconfinement?