

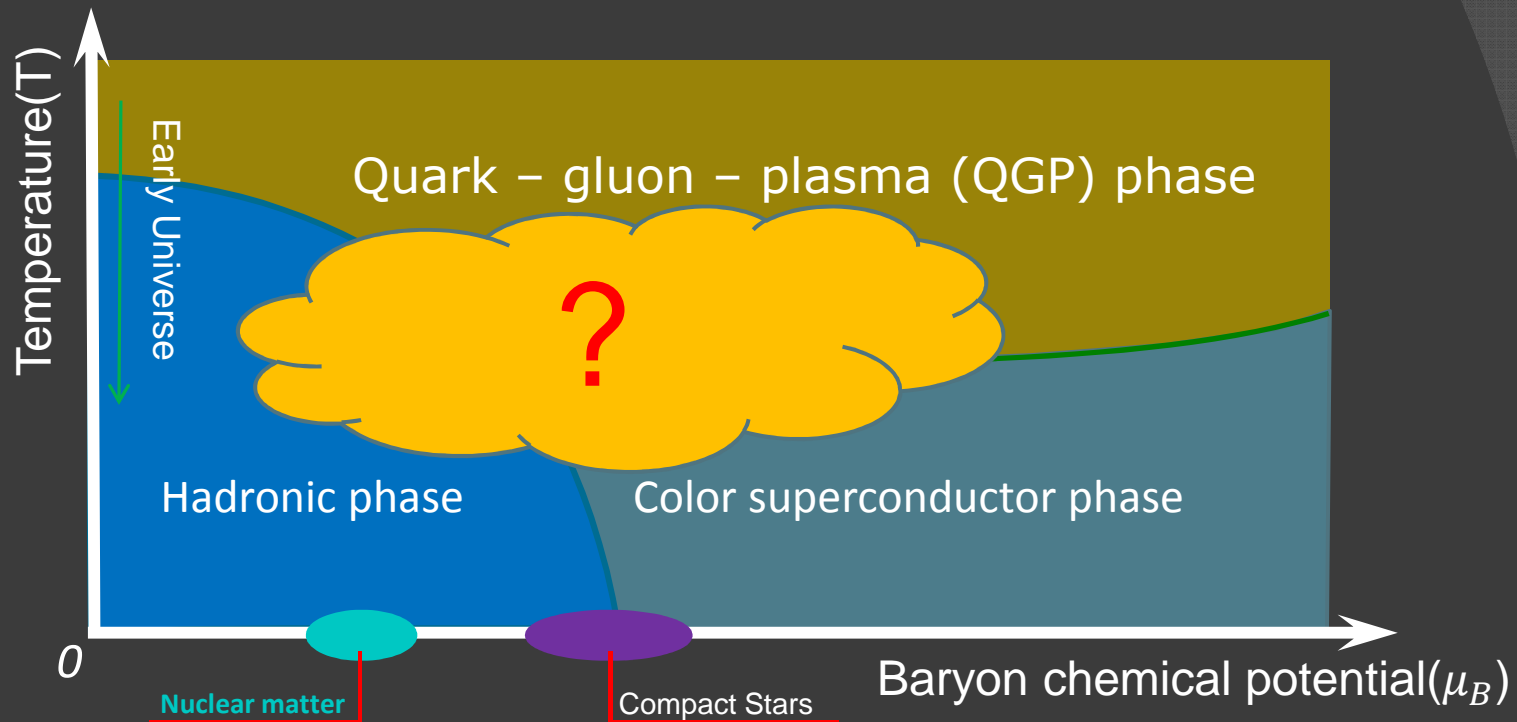
# PARITY DOUBLING STRUCTURE OF NUCLEON AT NON-ZERO DENSITY IN THE HOLOGRAPHIC MEAN FIELD THEORY

BingRan He & Masayasu Harada  
Nagoya University

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# Motivation: QCD Phase Diagram



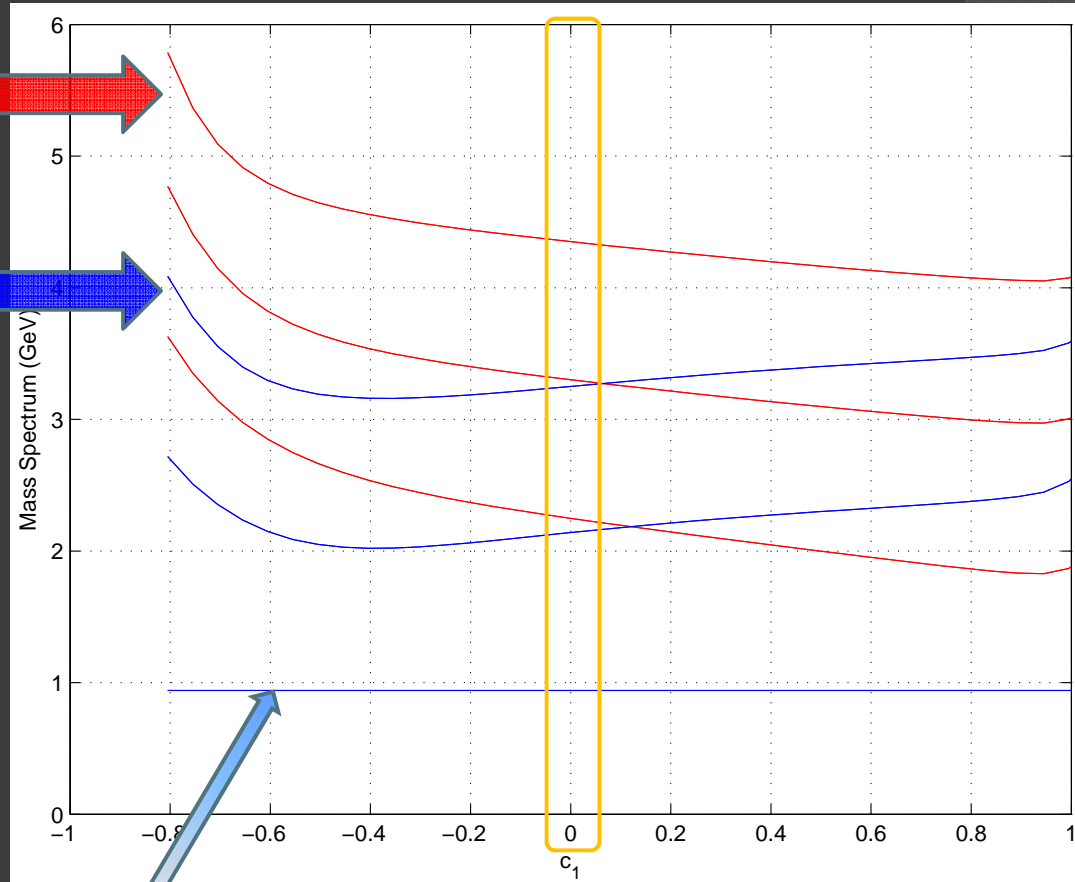
- ⦿ Perturbative QCD, Lattice QCD methods are improper to study density matter
- ⦿ What happens at high density place like compact stars?

# Spin1/2 baryon mass spectrum @ $z_m = 1/0.33(m_p = 780\text{MeV})$

Parity Odd

Parity Even

|         | Mass  | Parity |
|---------|-------|--------|
| p(n)    | 0.939 | +      |
| N(1440) | 1.440 | +      |
| N(1535) | 1.535 | -      |
| ...     |       |        |
| N(2100) | 2.100 | +      |



| $z_m(\text{GeV}^{-1})$ | $G$    | $c_1$ | (p,n)(GeV) | N(1440) | N(1535) | 3rd     | 4th     | 5th     |
|------------------------|--------|-------|------------|---------|---------|---------|---------|---------|
| $(0.33)^{-1*}$         | 8.67** | 0     | 0.94*(+)   | 2.14(+) | 2.24(-) | 3.25(+) | 3.30(-) | 4.35(+) |

$m_p$

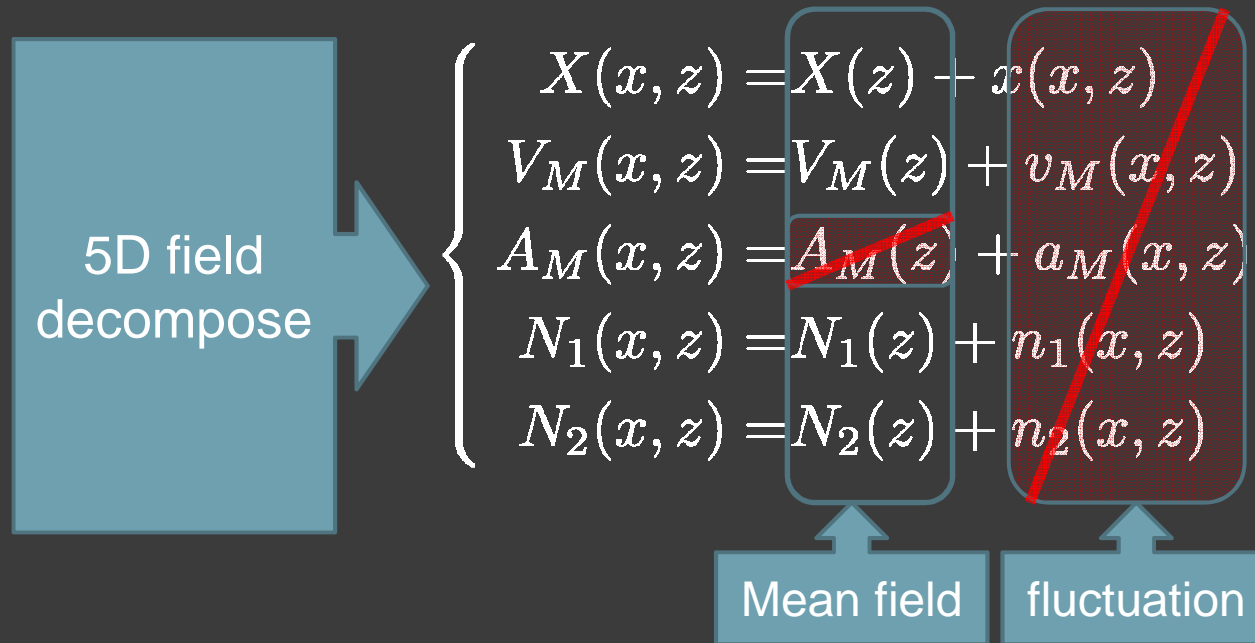
Auto Fixed

$m_p(m_n)$

Parity coincides with Experiment

Deog Ki Hong, Takeo Inami, Ho-Ung Yee.  
Phys.Lett.B646, hep-ph/0609270

# Holographic mean field theory



Masayasu Harada, Shin Nakamura, Shinpei Takemoto.  
Phys.Rev. D86 (2012) 021901

Mean field only distribution(depends) on the  $z$  coordinate, the other coordinates are flat(average) value. The mean field take the role of source.

# ND - $\sigma$ relation @ $z_m = 1/0.33 (m_\rho = 780\text{MeV})$

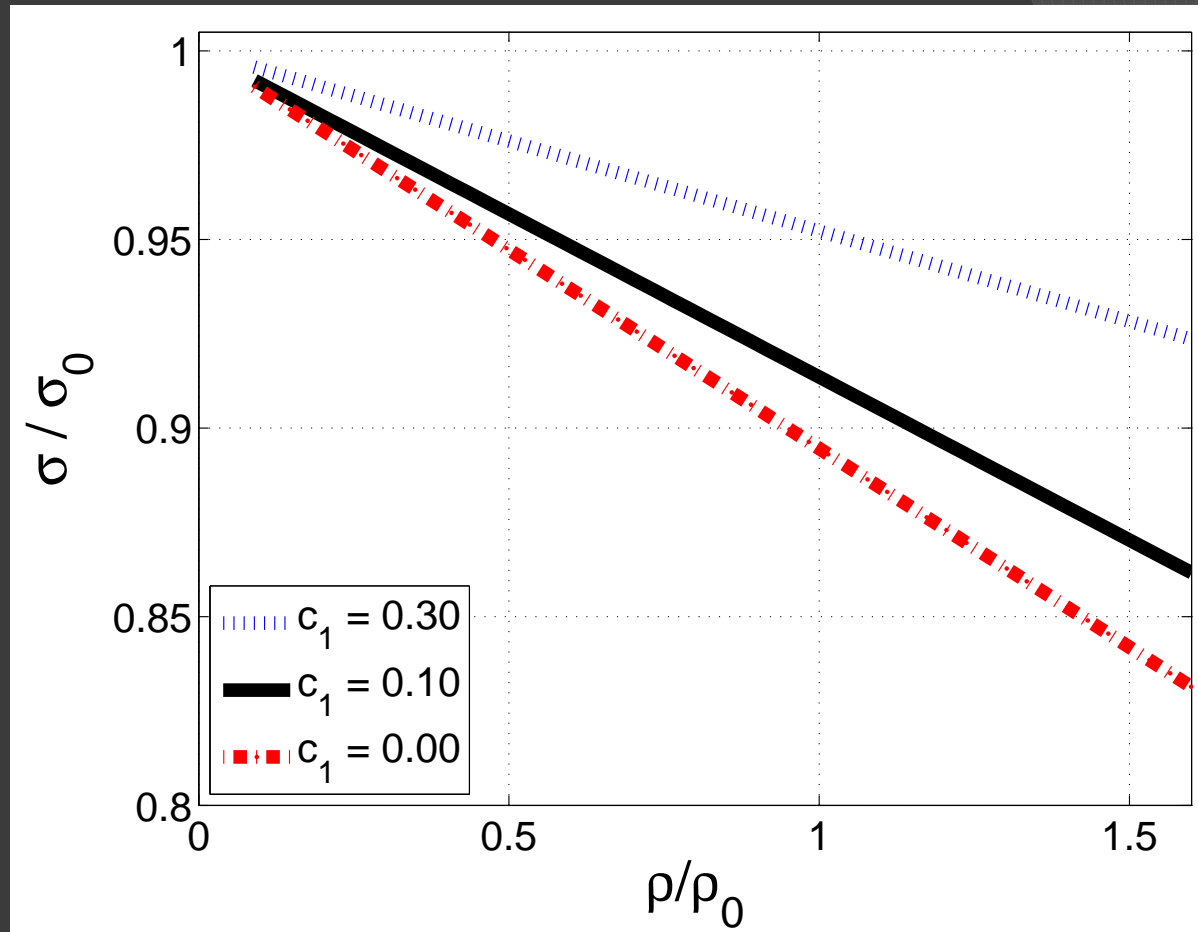
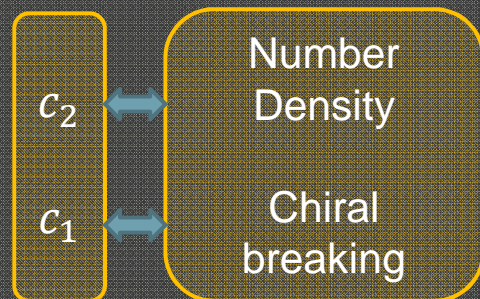
Using:

$$\sigma \approx 2 \frac{X(z)}{z^3} \Big|_{z \rightarrow 0}$$

Boundary Condition

|       | UV | IR          |
|-------|----|-------------|
| $N_1$ | 0  | $c_2$       |
| $N_2$ | 0  | $c_2 * c_1$ |

Physical meaning



$\sigma/\sigma_0$  denote normalized  $\sigma$  by its value at zero density.

Youngman Kim, Chang-Hwan Lee, Ho-Ung Yee.  
Phys.Rev.D77(2008)085030 arXiv:0707.2637

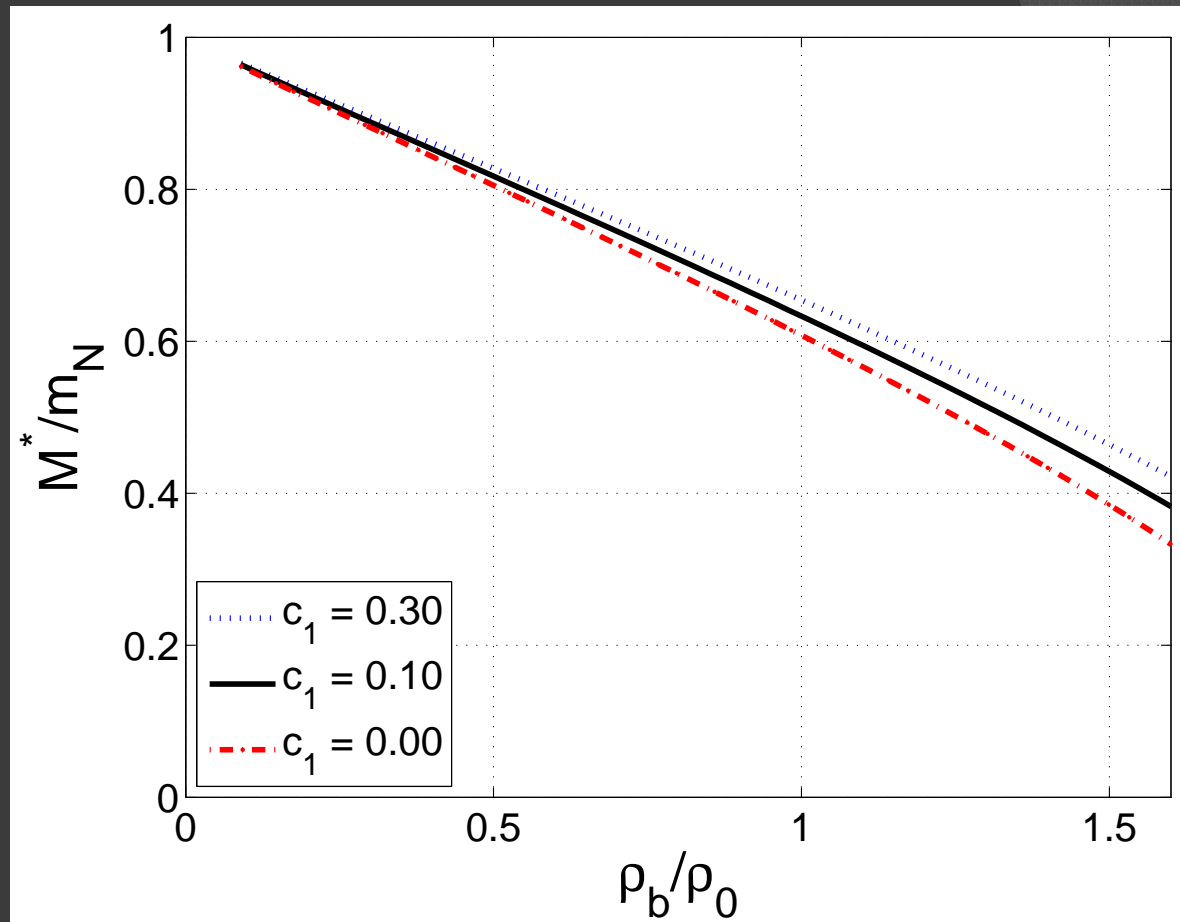
They only consider  $c_1=0$ ,  
In a same order with our results

# ND - $M^*$ relation @ $z_m = 1/0.33$ (EKSS)

Walecka type model:

$$\mu = \sum_{n=1}^{\infty} \frac{g_{\omega^{(n)}NN}^2}{m_{\omega^{(n)}}^2} \rho_b + \sqrt{k_F^2 + M^{*2}}$$

| (n) | $m_{\omega^{(n)}}[\text{GeV}]$ | $g_{\omega^{(n)}NN}$ |
|-----|--------------------------------|----------------------|
| 1   | 0.78                           | 15.6                 |
| 2   | 1.79                           | 9.3                  |
| 3   | 2.82                           | 4.3                  |



The decreasing of  $M^*$  at high density consistent with experiment result.

# Summary

- ◉ We study the property of baryon at zero and finite density base on Holographic QCD models
- ◉ At zero density, we discuss a dynamical way to generate the nucleon mass and found a kind of chiral invariant mass
  - We discuss the relation between  $c_1$  and chiral invariant mass
- ◉ At finite density, by adopting the holographic mean field theory, we discuss the quark condensate  $\sigma$ , chemical potential  $\mu$  and effective mass  $M^*$  with their dependence of number density
  - We find that quark condensate  $\sigma$  will decrease at high density, which means chiral symmetry partially restored at high density
  - We find that effective mass  $M^*$  will decrease at high density, which consistent with experiment result

Thank you for your attention!