

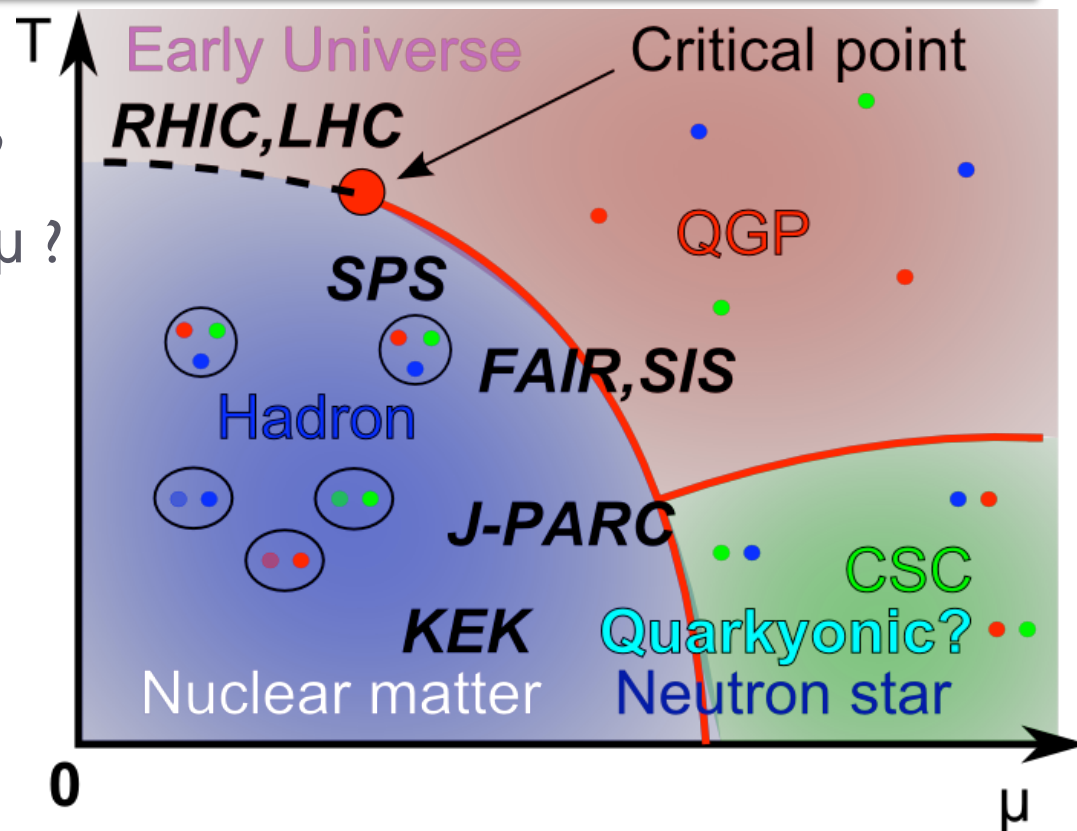
格子QCDの強結合展開に基づく NNLOにおける有効ポテンシャルの評価

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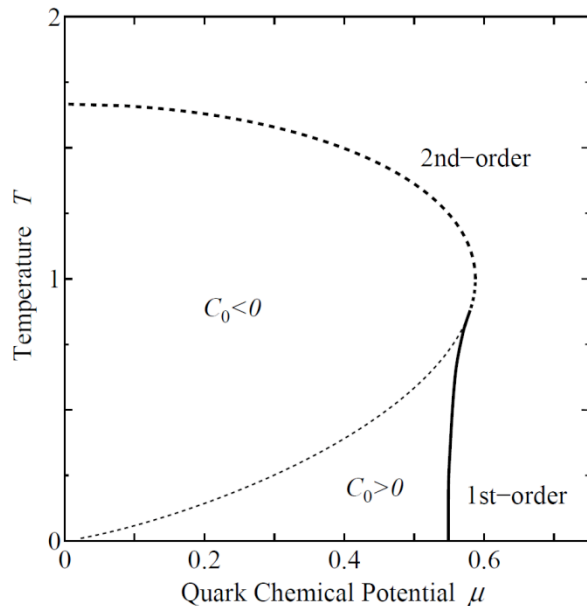
▶ QCD phase diagram

- ▶ Where is the critical point ?
- ▶ What phase appear in high μ ?

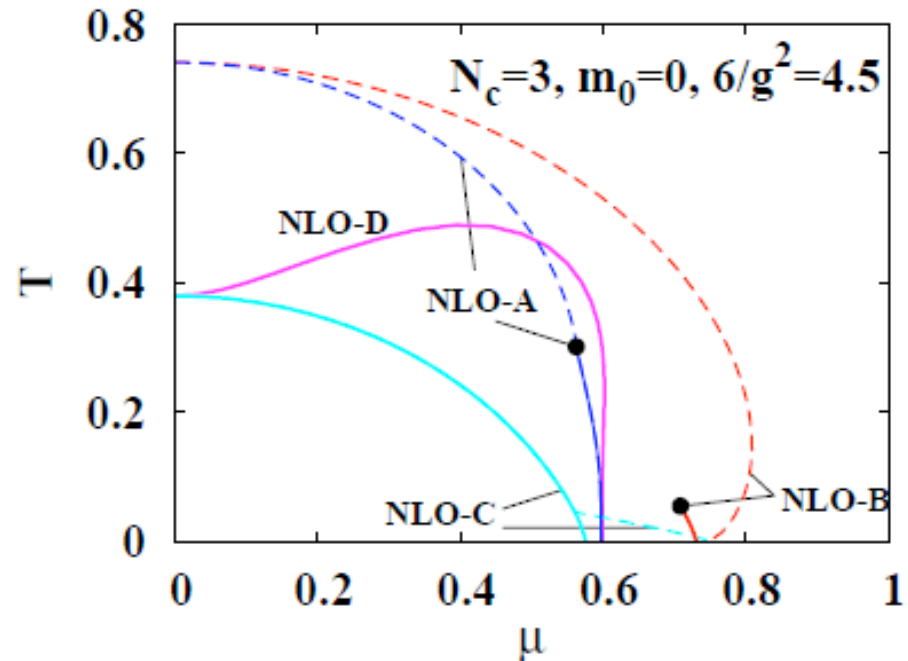


格子QCDの強結合展開

- ▶ $1/g^2$ expansion
- ▶ Sign problem can be weakened or avoided \Leftrightarrow MC simulations
- ▶ SCL \rightarrow NLO \rightarrow NNLO



K. Fukushima (2004)



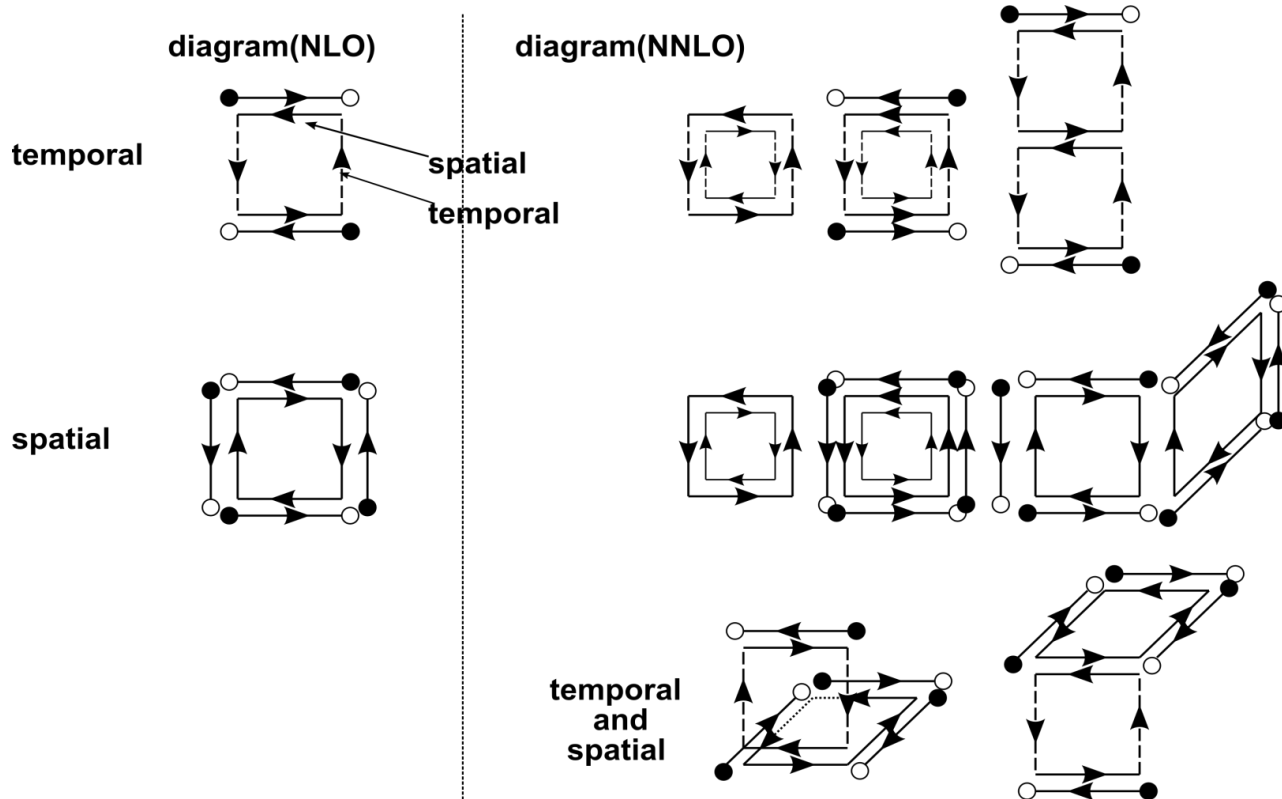
K. Miura, T. Z. N and A. Ohnishi (2009)

- ▶ Finite T, μ 全体を網羅したQCD phase diagram

\rightarrow NNLO ($1/g^4$) までの寄与を考慮した有効ポテンシャルを求める。

Diagram(NNLO; $1/g^4$)

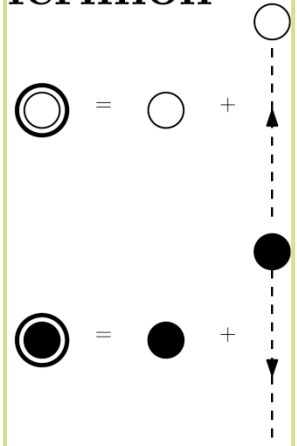
- ▶ Systematicにdiagramsを評価。
 - ▶ NLO \rightarrow 1つのプラケット, NNLO \rightarrow 2つのプラケット
 - ▶ プラケット(\square)にフェルミオン($\bullet \rightarrow \circ, \circ \leftarrow \bullet$)をはりあわせる。



有効ポテンシャル(NNLO; $1/g^4$)

- ▶ NLO, NNLOの効果 → SCLの形に繰りこむことができる。
 - ▶ Modification of m_q , μ and Z_χ , and a gluonic dressed fermion
- ▶ Chiral condensate(σ)とquark number density(ω_τ)の関数
 - ▶ Multi-order parameters

Gluonic dressed fermion



Effective potential auxiliary fields quark sector

$$\mathcal{F}_{eff}(\sigma, \omega_\tau; T, \mu) = \mathcal{F}_{eff}^{(X)}(\sigma, \omega_\tau) + \mathcal{V}_q(m_q; \tilde{\mu}, T) - N_c \log Z_\chi$$

Effective potential (auxiliary fields)

$$\mathcal{F}_{eff}^{(X)} = \frac{1}{2} \tilde{b}_\sigma \sigma^2 + \frac{1}{2} \beta_s \sigma^4 + 2\beta_{ss} \sigma^6 + \frac{1}{2} (\beta_t + 2\beta_{ts} \sigma^2) (\varphi_\tau^2 - \omega_\tau^2) + \beta_{\tau\tau} (4(Z_\chi m_q)^2 (\varphi_\tau^2 - \omega_\tau^2) - 4Z_\chi m_q \varphi_\tau \sigma + \sigma^2) + \beta_{\tau s} \sigma^2 (\varphi_\tau^2 - \omega_\tau^2)$$

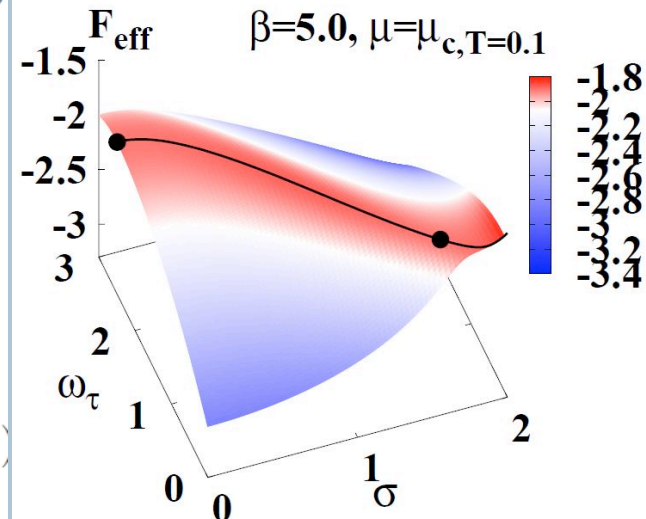
Modification of m_q , $\tilde{\mu}$, Z_χ

quark mass	shift of chemical potential	wave function renormalization factor
$m_q = \frac{\tilde{b}_\sigma \sigma + m_0 + 2\beta_{\tau\tau} \sigma}{(1 + 4\beta_{\tau\tau} \varphi_\tau) Z_\chi}$	$\tilde{\mu} = \mu - \log \sqrt{Z_+/Z_-}$	$Z_\chi = \sqrt{Z_+ Z_-}$

where

$$Z_\pm = 1 + (\beta_\tau + 2\beta_{\tau s} \sigma^2) (\varphi_\tau \pm \omega_\tau) + 4\beta_{\tau\tau} Z_\chi m_q (2Z_\chi m_q (\varphi_\tau \pm \omega_\tau) - \sigma)$$

$$\tilde{b}_\sigma = b_\sigma + 2\beta_s \sigma^2 + 6\beta_{ss} \sigma^4 + 2\beta_{\tau s} (\varphi_\tau^2 - \omega_\tau^2)$$



Results: T_c , μ_c , QCD phase diagram and CP

- ▶ $T_{c,\mu=0}, \mu_{c,T=0} \rightarrow \doteq \text{NLO}$
- ▶ CP \rightarrow sensitive to NNLO effects
- ▶ Partially chiral restored phase が存在

